

**Probabilistic Models of
Natural Language Processing
Empirical Validity and Technological Viability**

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Speech and Language Technology

What is common for these applications ?

- Document Retrieval, Document Categorization,...
- Question Answering, Information Extraction,...
- Text Summarizing, Dictation systems, Machine Translation,...
- Speech Understanding, Speech-based Dialogue systems,...
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A Model of Natural Language Processing (N L P) ?

Common Wisdom – Current Experience

Practice: *advanced NLP models do not work !*

Common Speech-Tech wisdom

Hiring linguistics hurts the company's shares

Common IR-Tech wisdom

Linguistic models do not help retrieval

Can there be a role for NLP in applications ?

This talk: *Empirical Validity and Technological Viability*

Empirical Validity vs. Technological Viability

Empirically valid model: cognitive ? black-box view ?...

Technologically viable model: what applications/resources ?...

We leave psycholinguistics aside and concentrate now on the joint requirements (black-box model):

Technological: Correctness, robustness and efficiency

Cognitive: Correctness, robustness and efficiency

- **Where does the common wisdom come from ?**
- **How can we meet these requirements ?**

The Paradigmatic Role of Syntactic Processing

Syntactic processing (parsing) is interesting because:

Fundamental: it is a major step to utterance understanding

Well studied: vast linguistic knowledge and theories

Example role: formal devices of syntactic processing can be examples for subsequent processing (semantics, discourse,...)

Infrastructure: data and test-suits are available

Exploitable: applications can benefit from good parsing

“Shallow parsing” is already entering applications

Structure of Talk

- Set-theoretic (categorical) approach to parsing and where it fails
- Probabilistic approach: new life to the set-theoretic approach ?
- Advantages of the probabilistic approach: empirical validity
- Technological viability of the probabilistic approach
- Examples of existing parsing models
- A view on future research

Set-theoretic Approach to Parsing

Assigning linguistic structure to input utterances with the goal of facilitating semantic interpretation.

A Language is a **set** of sentence-analysis pairs

Formal devices: A language is described by a formal generative device
e.g. Context-Free / Unification Grammar,...

Belief: A formal grammar is suitable for processing utterances in order to extract syntactic structure

Does the set-theoretic approach satisfy the requirements set on applied/cognitive models ?

Problems of Set-Theoretic Approach

Ambiguity: Multiple analyses associated with the same sentence !

BUT: Humans do select a single preferred analysis

→ **Robustness:** Input is not in the set describing the language !

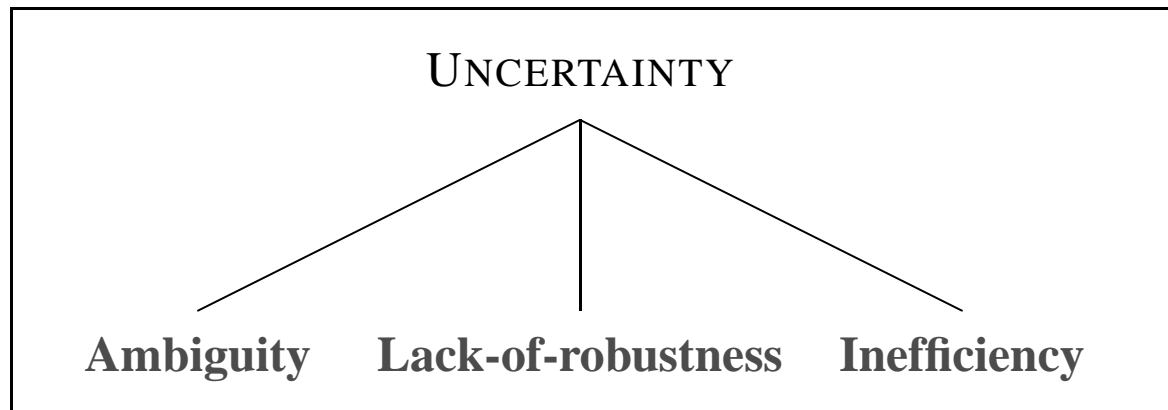
BUT: Humans do understand ``weird" utterances

Inefficiency: *Worst case complexity* under grammar types !

BUT: Humans process utterances efficiently

Can the set-theoretic approach deal with these problems ?

CLAIM: THREE FACES OF UNCERTAINTY



Problem	Uncertainty w.r.t.
Ambiguity	Output: which output is best ?
¬Robustness	Input: what inputs to expect ?
Inefficiency	Processing algorithm: how to navigate ?

Ambiguity and Uncertainty

Ambiguity due to contextual / linguistic / extra-linguistic factors, e.g.

- **Word-sense:** bank (of the river) vs. bank (e.g. ABN-AMRO)
- **Part-of-speech:** list as verb/noun; following as verb/adj/noun
- **Sentence structure:** I saw the man/dog with the telescope
The telegraphy and telephone services are important

Uncertainty due to hazard (in technological applications) e.g.

- **Spelling:** I was teading, (teading \in {leading, reading, feeding, ...})
- **Speech:** Travel to Almelo/Ermelo/marmalade/Elsloo

Coverage and Robustness

What utterances are “grammatical” ? example problems:

- **“Ungrammatical” use:** He say no to mom ! (third person agreement)
- **Infrequent use:** Cats eat, tigers devour (subcat frames)

What utterances might occur in the input ? example problems:

- **Speech utterances:** repetitions, corrections, hesitations,...
- **Communication noise:** sending messages over a channel

Efficiency and Expectations

Beyond worst-case complexity

Expectations “as in human processing”, e.g.

Frequency: Does frequency of occurrence affect processing speed ?

Domain: What domain of language use ?

Context: Where a phrase is likely / unlikely to appear ?

Prediction: What to expect after seeing only part of an utterance ?

Limited beam: Why explore the whole space ?

Give Up the Set-Theoretic Approach ?

In this *methodological* issue we think this could be **unwise**:

Structure and Probability:

*Employ the set-theoretic approach as a **first informed approximation** of the preferred model structure, and recast the model in Probabilistic formulae.*

Structure and Data (Bayesian Learning):

$$\arg \max_{m \in \text{Models}} P(m \mid \text{data}) = \arg \max_{m \in \text{Models}} P(m) \times P(\text{Data} \mid m)$$

Structured Probabilistic Language Models

Language Models: Extending Sets

A *language model* is a probability mass function over utterances-analyses:

$$P : U \times T \rightarrow [0, 1]$$

$$\sum_{\langle u, t \rangle \in (U \times T)} P(\langle u, t \rangle) = 1$$

The probabilistic view provides:

- a generalization over sets + an established solution to uncertainty
- direct empirical interpretation: *Statistics*
- direct links to theories of *learning*
- methodological advantages, e.g. *model integration, optimization, hypothesis testing, evaluation*

Aspects of Language Models

- How do language models:
 - (Q_1) **Achieve** disambiguation/robustness/efficiency ?
 - (Q_2) **Link** to Learning, Statistics, (in)dependence and modularity ?
 - (Q_3) **Incorporate** formal languages (probabilistic grammars) ?

- Briefly on state of the art:
 - **Ambiguity resolution:** Memory vs. Dependencies.
 - **Robustness:** smoothing by hidden structure.
 - **Efficiency:** pruning and model specialization.

Language Models and Ambiguity (Q_1)

Given a language model P :

Parsing utterances: for an input utterance u , output the pair

$$\langle u, t \rangle^* = \underset{\langle u, t \rangle}{\operatorname{arg\,max}} P(\langle u, t \rangle)$$

Ambiguous input: for an ambiguous input $U_x \subseteq U$, output

$$u^* = \underset{u \in U_x}{\operatorname{arg\,max}} \sum_{\langle u, t \rangle} P(\langle u, t \rangle)$$

How can we achieve correct disambiguation ?

Language Models and Robustness (Q_1 cont.)

A well-informed (e.g. linguistically) language model P might assign probability zero to some highly infrequent pair $\langle u, t \rangle \in U \times T$.

Smooth P to assign $P(u, t) \neq 0$ (e.g. Good-Turing, Katz)

Interpolate a weaker language model P_w with P

$$P_i = \lambda P + (1 - \lambda) P_w$$

Reveal latent structure μ for informed smoothing:

$$P(X) = \sum_{\mu} P(X, \mu) = \sum_{\mu} P(\mu) P(X | \mu)$$

How can we achieve suitable robustness ?

Language Models and Efficiency (Q_1 cont.)

Given an input utterance $u = w_1, \dots, w_n$:

Expectations: a probability mass function P_e over subutterance-subanalysis pairs $\langle u_1, t_1 \rangle$, given some preceding part $\langle u_0, t_0 \rangle$:

$$P(u_1, t_1 | u_0, t_0)$$

Beam: prune distribution of subanalyses for w_i, \dots, w_j

Frequency: compile P such that more frequent utterances can be retrieved faster

How can we achieve satisfying efficiency ?

Statistics, Learning and Model Integration (Q_2)

Methodological advantages of language models:

- **Learning/Estimation:** parameter μ estimation from data D

Maximum-A-Posteriori	$\arg \max_{\mu} P(\mu D)$	(Bayesian Updating)
Maximum-Likelihood	$\arg \max_{\mu} P(D \mu)$	(Maximum-Entropy)
⋮	⋮	⋮

Error-bounds: Bayesian classifiers.

- **Model Integration:** Noisy-Channel (explicit assumptions):

$$P(m, t|u) = P(m|t, u)P(t|u) \quad (\mathbf{meaning}, \mathbf{tree}, \mathbf{utterance})$$

Probabilistic Grammars as Language Models (Q_3)

Extend formal grammars to become probabilistic grammars:

Parameters: how to estimate probabilities of the set μ of rewrite-events given their contexts ? what kind of context ?

Stochastic processes: how to estimate probabilities of derivations, i.e. sequences of rewrite-events in context ?

Probabilities of pairs: how to estimate probability $P(\langle u, t \rangle)$?

Represent a language model P by a set of parameter values μ

- What constitutes a good language model ?

Tree-Bank Grammars

Probabilistic grammar is a generative device (vs. reduction system):

Generative view: Every parse-tree t is generated from the start-symbol of the grammar S

Stochastic processes: a parse is generated through an ordered sequence of rewrite-events r_1, \dots, r_n , each with probability conditioned properly

$$P(r_1 \cdots r_n | S) = \prod_{i=1}^n P(r_i | r_1, \dots, r_{i-1})$$

Tree-bank: a representative multiset of utterance-tree pairs

Tree-bank models: the rewrite-events and their probabilities are extracted from a tree-bank

Example: Prob. Context-Free Grammar

A Probabilistic CFG (PCFG) extends a CFG with a probability mass function P over the finite set of rewrite-rules \mathcal{R} such that

Generative model: probability of $A \rightarrow \alpha$ conditioned on A only

Similar statement: for all nonterminals A : $\sum_{\alpha:A \rightarrow \alpha \in \mathcal{R}} P(A \rightarrow \alpha | A) = 1$

Independence: no context effects, i.e. probability of derivation

$$d = r_1, \dots, r_n \text{ is estimated by } P(d) = \prod_{i=1}^n P(r_i)$$

Simple extension (remains PCFG): add some context, e.g. condition on label of parent of A , as extracted from examples found in the tree-bank

Current Research on Parsing (1)

Tree-bank based: training material D is a multiset of utterance-analysis pairs (manually annotated/corrected, use of specific domains)

Example tree-bank: Penn Wall Street Journal(WSJ), 10^6 words, 5×10^4 sentences of average length 23 words (up to 115 words !) from the WSJ newspaper

Main questions: what rewrite units, context to extract ? with what probabilities ? how to smooth using linguistic knowledge ?

Evaluation: Labeled Recall/Precision (percentage of nodes that exactly match) over a test-set of 2400 sentences not involved in training

Current Research on Parsing (2)

Magnitude of problem: $\approx 75\%/75\%$ recall/precision for **broad-coverage linguistic grammars** (IBM; Probabilistic LFG (PARC)), *each developed over > 10 linguistic-labour years*

Bilexical-dependency models: $\approx 91\%/91\%$, a well-smoothed model with probabilities ranging over dependencies between head-words

Data Oriented Parsing: $\approx 91\%/91\%$ with a model that puts probabilities over large chunks of linguistic structure

Two successful kinds of rewrite-events (3)

Bilexical-dependencies: head-driven Markov Grammars, e.g. (Collins 97, Charniak 99)

Events: pairs $\langle Parent.word1, Child.word2 \rangle$.

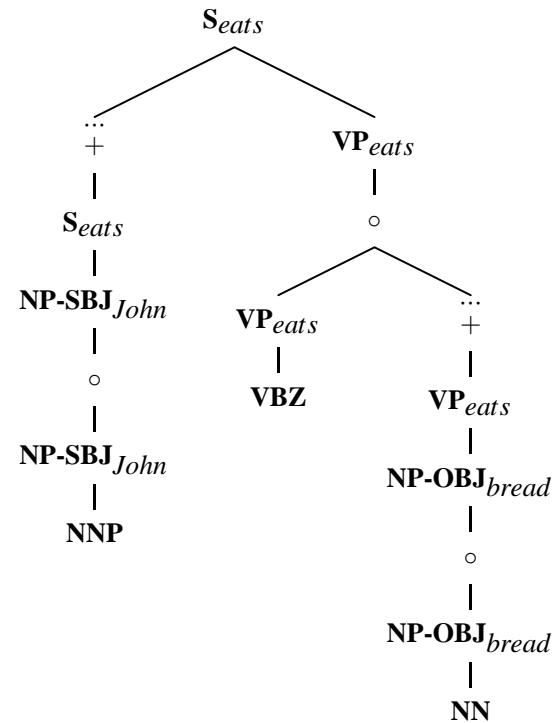
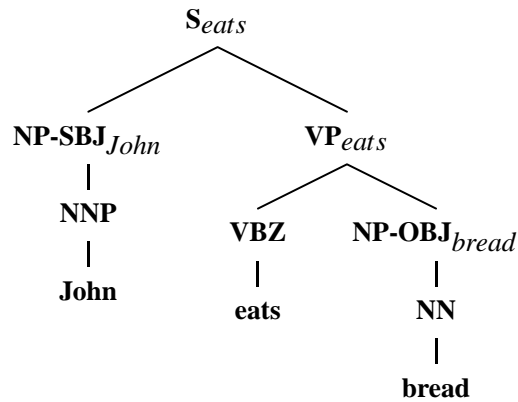
Probability: $P(\langle Parent.word1, Child.word2 \rangle \mid Parent.word1)$.

Structural relations: e.g. DOP (Scha 90; Bod 95; Sima'an 99).

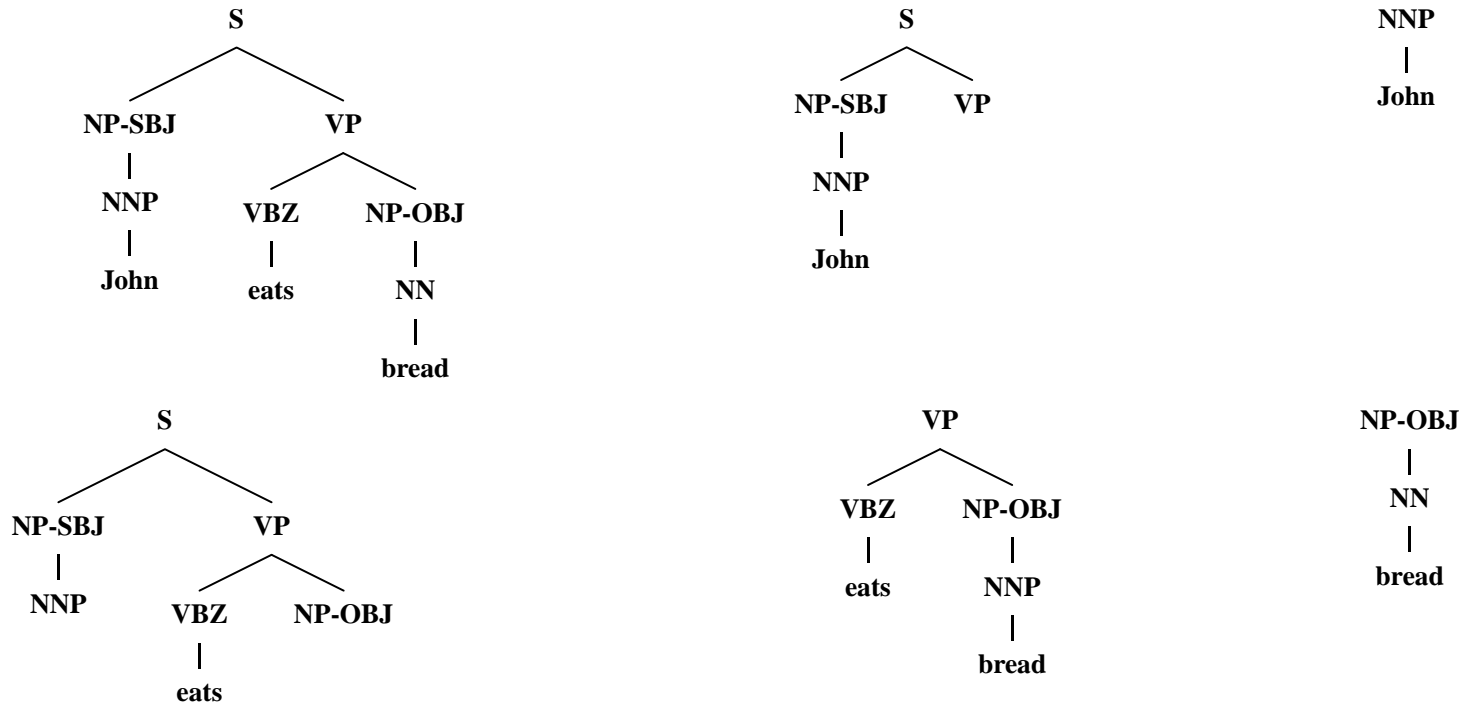
Events: arbitrary size syntactic structures, e.g. DOP subtrees are connected CFG-rules,

Probability: $P(subtree \mid label.root(subtree))$

Example: Bilexical-dependencies



Example: Data Oriented Parsing (some subtrees)



Smoothing for Robustness: Examples

Backoff: many possibilities (Katz method):

$$P(\langle A, X \rangle \rightarrow \alpha | \langle A, X \rangle) \approx \Theta(P(A \rightarrow \alpha | A) P(X \rightarrow \alpha | X))$$

Markov Grammar: smoothing PCFGs for flat Phrase-Structure (Collins 1996, Charniak 1999):

$$P(A \rightarrow B_1 \cdots B_n | A) = P(B_1 | A) \times \prod_{i=2}^n P(B_i | A, B_1, \cdots, B_{i-1})$$

Hidden Structure: Assume edit-operations (delete, insert, ...) on frames as a hidden process (Eisner 2001):

- Given set of frames, each with a probability given a verb,
- Expand by Expectation Maximization (EM) on large bodies of text.

Efficiency: e.g. Suitable Pruning

How to allow pruning of subanalyses $XP \rightarrow *(w_i \cdots w_j)$?

Inside probabilities: Language models provide estimates for

$$P(XP \rightarrow^* w_i \cdots w_j)$$

Outside probabilities: BUT they do not provide estimates for:

$$P(S \rightarrow^* w_1 \cdots w_{i-1} XP w_{j+1} \cdots w_n)$$

Pruning: use approximations of the Outside probabilities, estimated on many examples from a given domain of language use.

Future: More Expected Utterances Processed Faster

Next Issues in Empirical NLP

- Feature-structures + **Distributional-Similarity** (“Prob. Unification”)
- Robust and correct semantics of utterances
 - Lambda expressions, compositionality and “cooccurrence semantics”
 - Predicate-Argument structures, dropping/insertion of arguments
 - Distributions over Lambda-expressions: expressing underspecification
- $P(sem, syn, utter) = P(sem)P(syn|sem)P(utter|sem, syn)$

Future: Cooccurrence Statistics over Structure for Processing